

Ring beam dynamics studies update



- Effect of impedance offset does not lead to instability but leads to significant emittance growth (“bana-shape” effect).
- Non-linear field of sextupoles lead to some emittance growth. This effect is negligible compared to the space-charge induced growth.
- Effect of high-order coherent resonances on space-charge limit in the SNS.
- Application of envelope instability to circular machines.
- Transverse instability due to impedance.
- Various stabilization mechanisms of collective instability.
- Resonance bandwidth, tolerable error and corrections.

Transverse beam instability in the SNS due to the extraction-kickers impedance

- **Fedotov, M. Blaskiewicz, J. Wei (BNL) S.
Danilov, J. Holmes, A. Shishlo (ORNL)**

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Acknowledgment



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N. Tsoupas and AP groups for many useful discussions.**

Numerical implementation



- In order to study collective beam dynamics, computational models for the impedance and 3D space charge have been developed and implemented in ORBIT (S.Danilov,J.Holmes,J. Galambos)
- After these new algorithms were successfully benchmarked they were implemented in UAL (A. Shishlo)
- These new models allow us comprehensive study of collective beam dynamics

Simulations



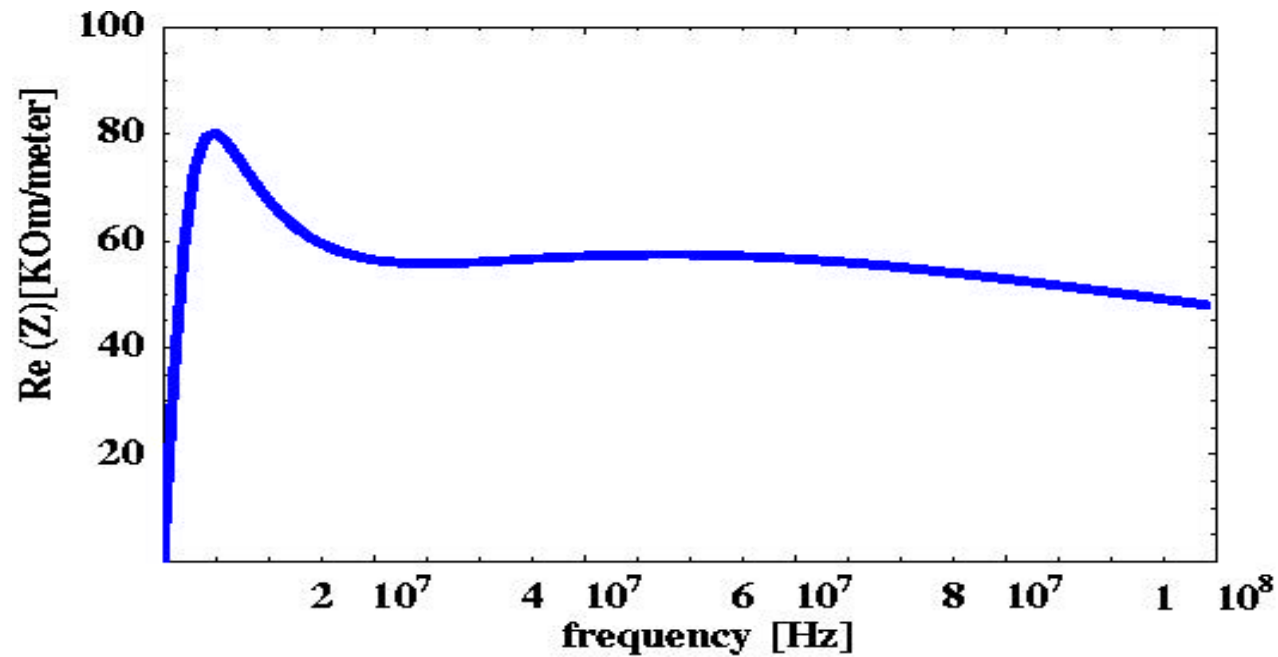
- Preliminary studies with full-intensity beams indicated that 2MW SNS beam is near the instability threshold (S. Danilov, J. Homes, M. Blaskiewicz)
- We then proceeded with realistic multi-turn injection scenario.
- In order to avoid numerical diffusion with the 3D space charge model we first obtained saturation of numerical parameters.
- This resulted in implementation of the code on BNL/ITD parallel cluster (up to 40 CPU) which allowed this time consuming calculations (N. Malitsky)
- Presented here simulations are done with half a million particles on 20 CPU.
- Important feature of instability thresholds with 1060-turn injection is the fact that final intensity is reached only at the end of accumulation right before the extraction.

Impedance model



- Recent measurements of the transverse coupling impedance of one full-size model of the 14 extraction kickers led to the realistic estimate of this impedance contribution (**D. Davino and H. Hahn**)
- This impedance was significantly reduced with the 25 W termination.
- All 14 kickers are represented by a single impedance node using the average beta-function approach.
- Such approach overestimates magnitude of the impedance by approximately **15%**. As a result, our threshold estimates are slightly **conservative**.

Re(Z) for full 14-kicker system



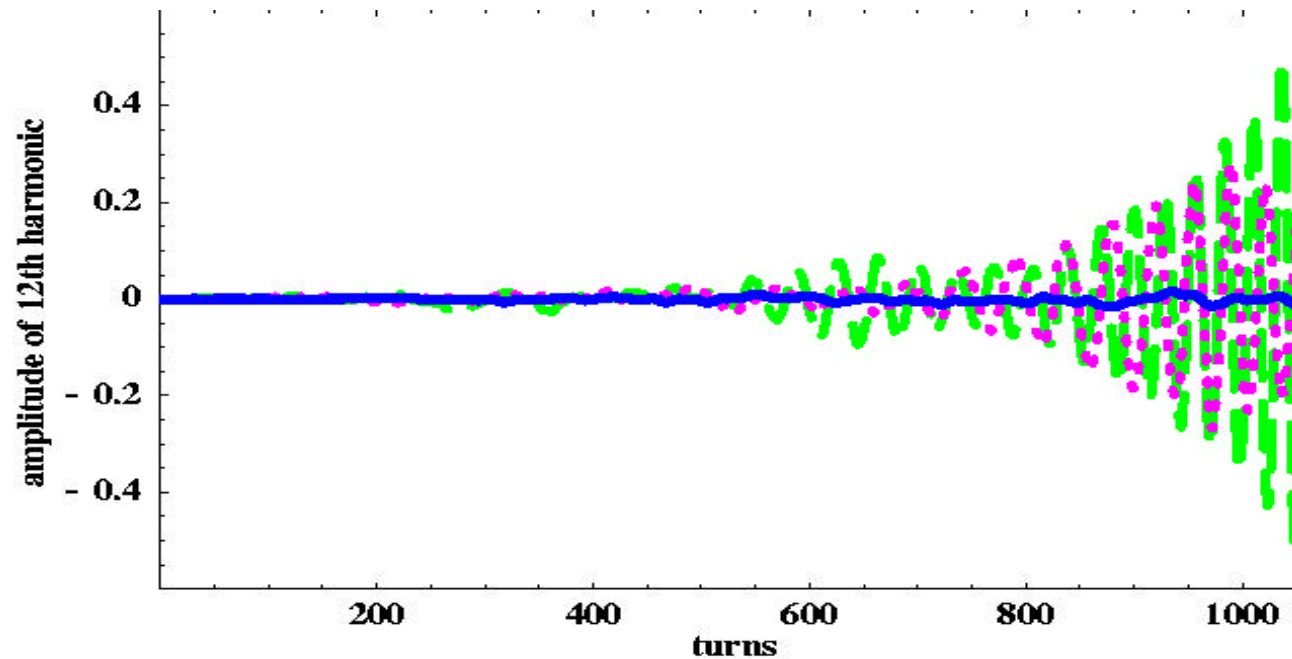
Impedance model used in simulations

Outline



- **Instability thresholds**
- **Study topics:**
 - **Open vs 25 W termination impedance**
 - **Low frequency (1-2 MHz) and space charge stabilization**
 - **Stabilization with b/a (effective tune spread along the bunch due to longitudinal current density)**
 - **Small b/a , quadrupole effect**

$N=2.0 \times 10^{14}$ at the end of accumulation

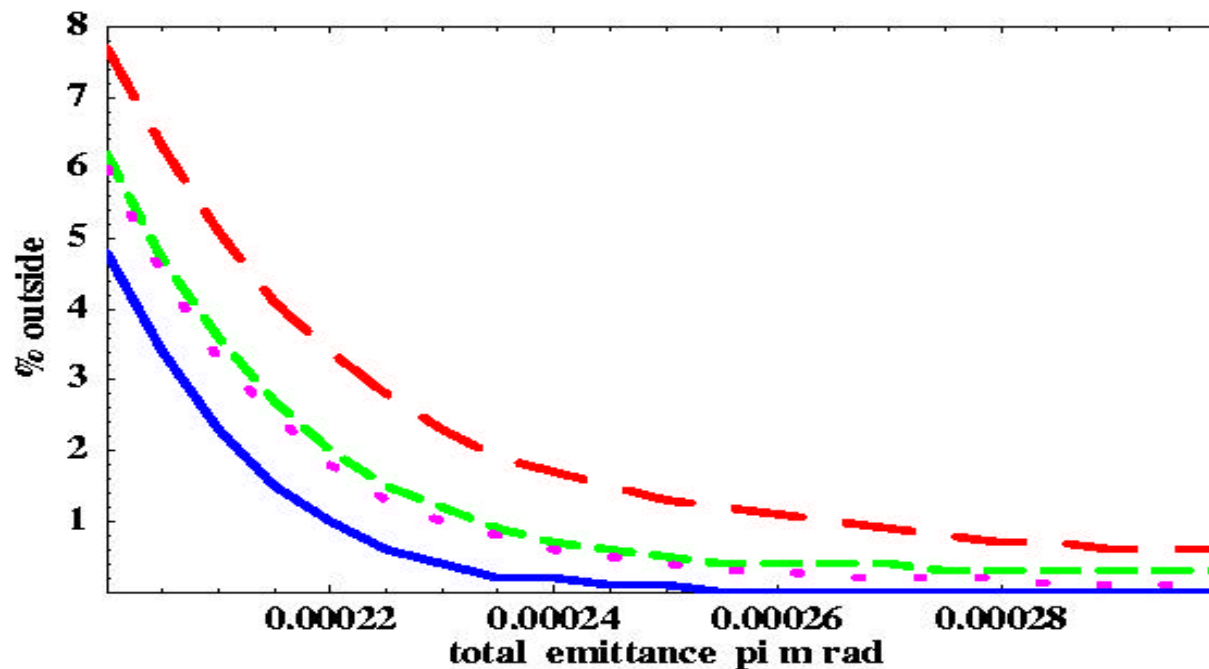


Blue – no SC, nat. chromaticity (-7)

Green – SC, zero chromaticity

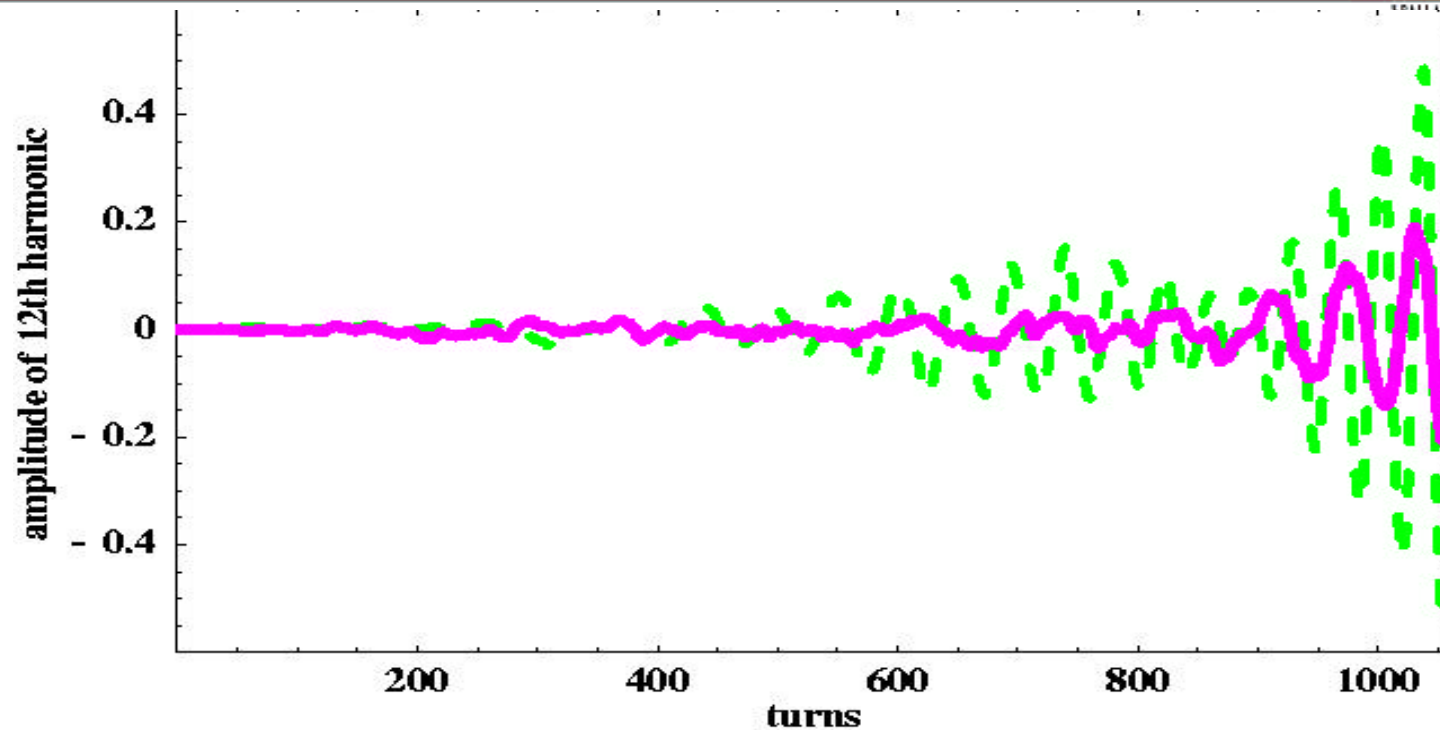
Pink – SC, nat. chromaticity

Resulting beam halo for $N=2.0 \times 10^{14}$



- Blue – no SC, nat. chromaticity (-7), $b=11\text{cm}$
- Green – SC, zero chromaticity, $b=11\text{cm}$
- Pink – SC, nat. chromaticity, $b=11\text{cm}$
- Red - SC, zero chromaticity, $b=20\text{ cm}$

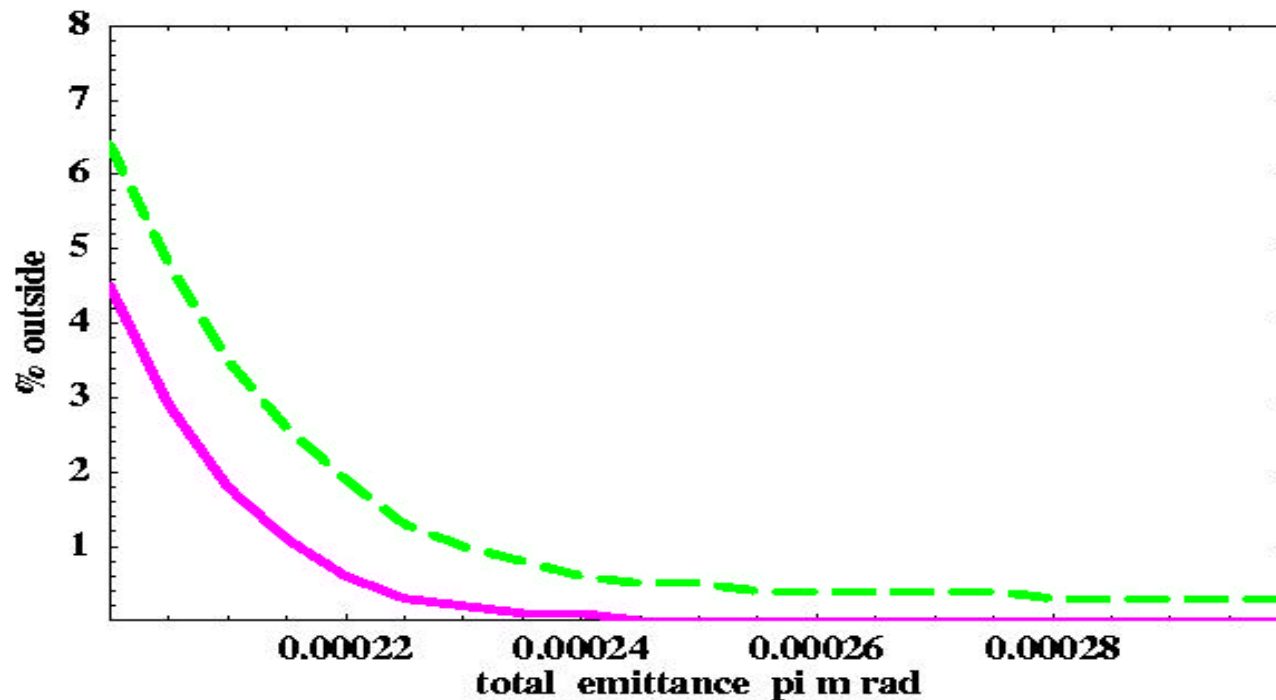
$N=1.5 \cdot 10^{14}$ at the end of accumulation



Green – SC, zero chromaticity

Pink - SC, nat. chromaticity (-7)

Resulting beam halo for $N=1.5 \times 10^{14}$



Green – SC, zero chromaticity

Pink - SC, nat. chromaticity (-7)

Intensity limitation



- $N=2.0 \times 10^{14}$ – **Unstable**, using natural chromaticity is not enough, additional damping with non-linear spread due to octupoles but most likely unsufficient for this intensity. **Needs feedback system or minimization of impedance.**
- $N=1.5 \times 10^{14}$ – **Unstable** with zero chromaticity. Marginally **stable** with natural chromaticity. Additional small damping with octupoles can help. **Feedback system is not required (when working with nat. chromaticity) but it is recommended.**
- $N=1.0 \times 10^{14}$ – **Stable** with natural chromaticity. With zero chromaticity no significant halo is observed by the end of accumulation.

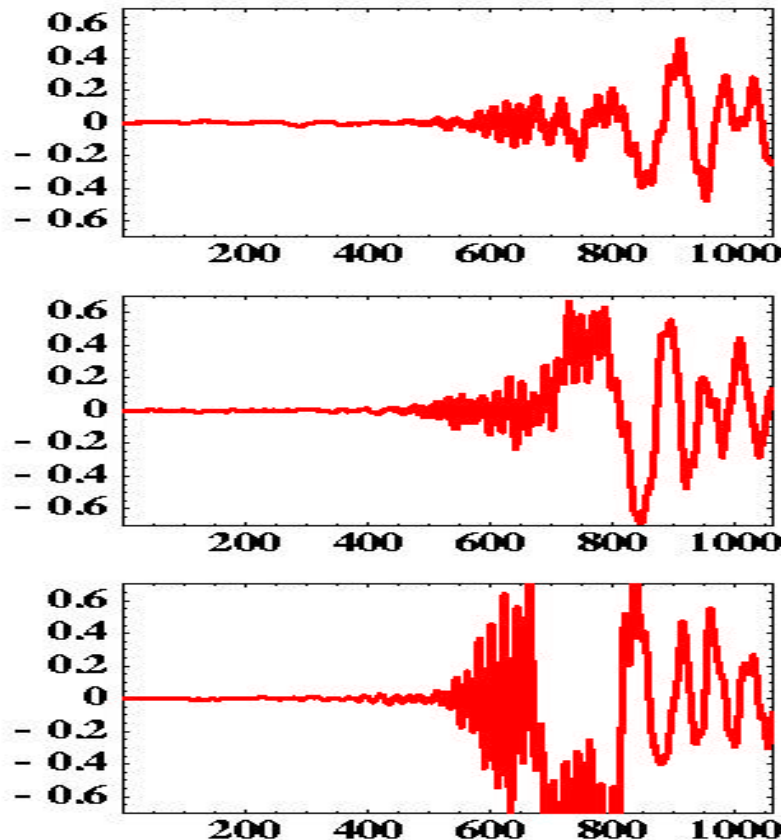
25 Om vs Open termination



- **Open termination:** Large impedance around 30 MHz where Landau damping may be effective. Very small impedance till 10 MHz where Landau damping is not effective.
- **25 Om termination** – removed pick around 30 MHz but introduced much stronger impedance at low frequencies with pick around 5 MHz.

With SC , open termination case is more unstable.

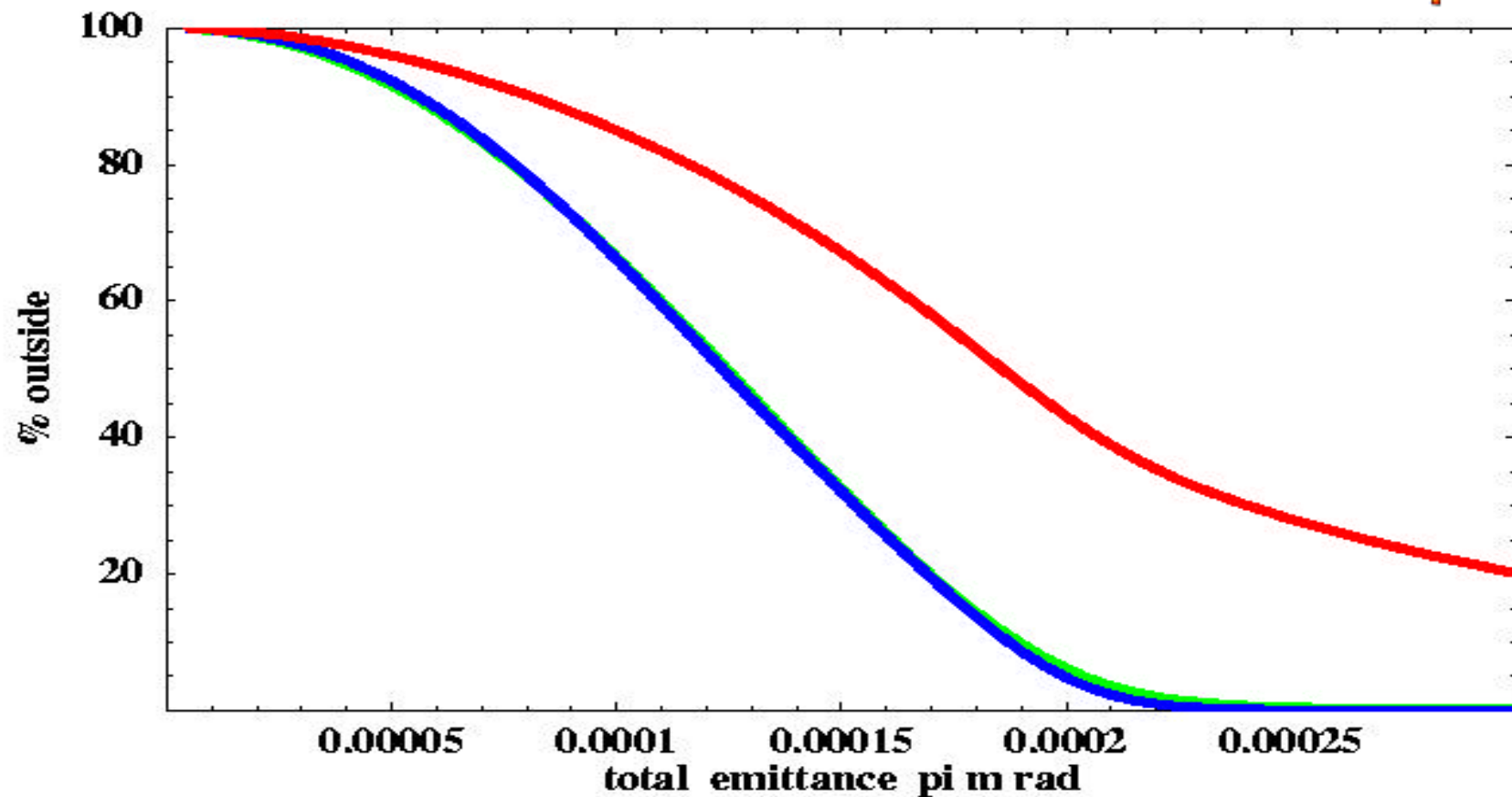
Instability growth due to open termination impedance (6, 18 and 22 MHz)



$N=2 \times 10^{14}$, SC,
natural chromaticity

Strong instability at
high-frequencies

Beam halo due to open termination impedance

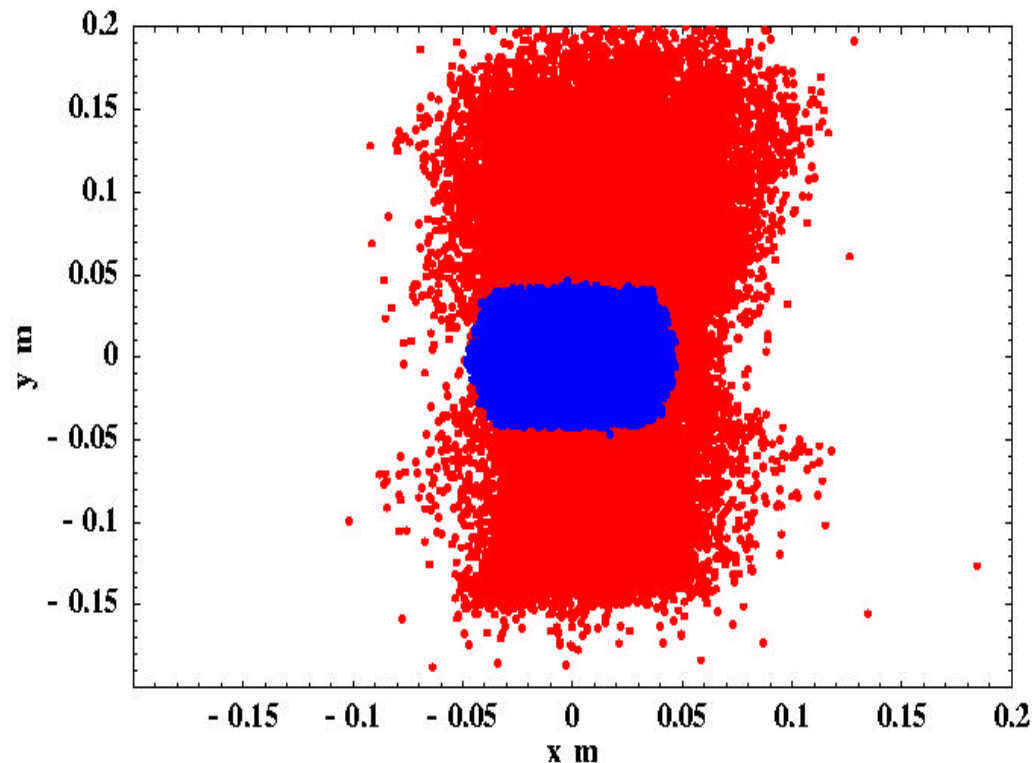


Low frequencies and space-charge stabilization



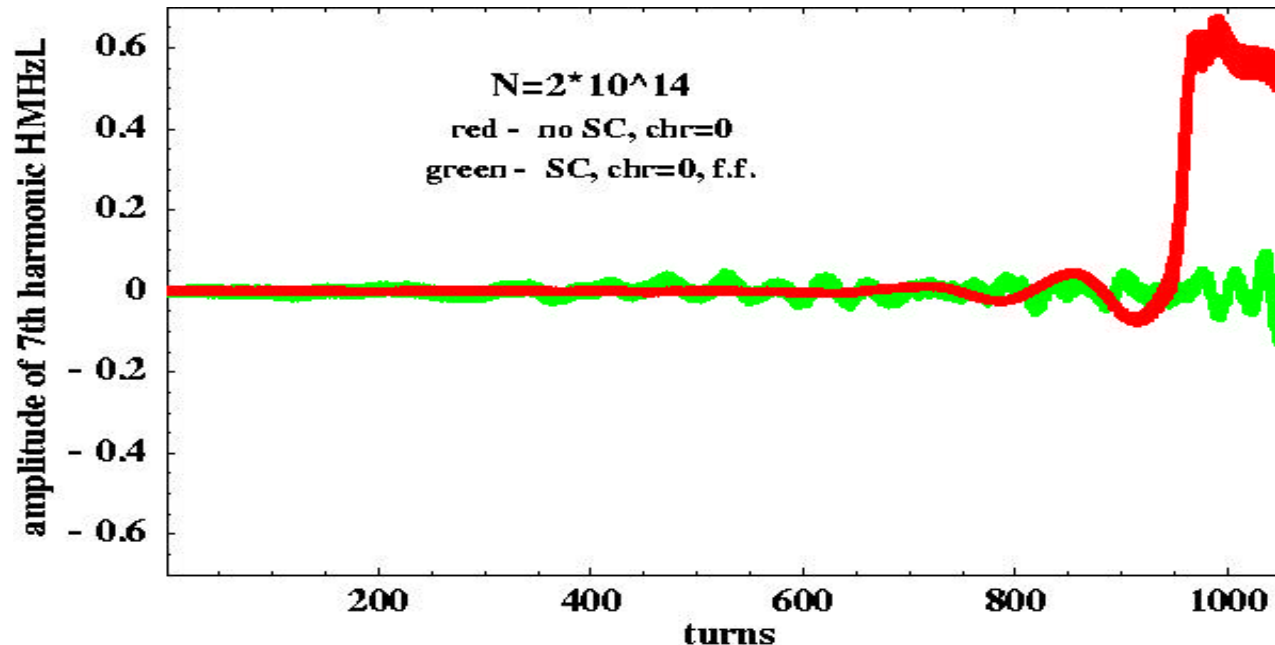
- **25 Om termination case has large impedance at very low frequencies (1-2 MHz). If we set chromaticity to zero then dp/p spread is not enough to damp unstable low-frequency harmonics. For these harmonics space-charge has stabilizing effect due to the tune spread associated with b/a variation along the bunch.**
- **Analytic estimates shows that without SC and zero chr. 2×10^{14} beam is approximately factor of 2 above the threshold, with stable beam below 0.8×10^{14} .**
- **Simulation: (No space charge, zero chromaticity)**
 - 2.0×10^{14} – unstable**
 - 1.5×10^{14} –unstable**
 - 0.8×10^{14} - stable**

Stable case vs the case without stabilization



red – zero chromaticity, no space-charge – no stabilization at low frequency – complete blow-up of beam by the end of accumulation ($2 \cdot 10^{14}$).

Instability below 5MHz (2×10^{14})



1. No SC, chromaticity=0 –unstable at very low freq. 1-6MHz
2. SC, chr0maticity=0, fringe fields, - stable at low freq. Because of space charge longitudinal detuning, unstable for frequencies above 5MHz.

b/a dependence and stabilization (b - pipe radius, a- beam radius)



- **b/a variation along the bunch introduces effective tune spread (due to longitudinal current density) and thus plays stabilizing role.**
- **Making ratio b/a larger decreases stabilization and makes beam more unstable.**
- **If b/a is too small one gets into the region where image effects play the dominant role – “quadrupole” effect.**

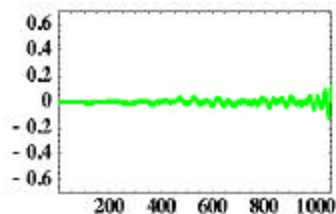
Instability for different b/a ratio



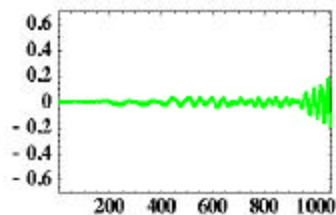
b=11 cm

b=20cm

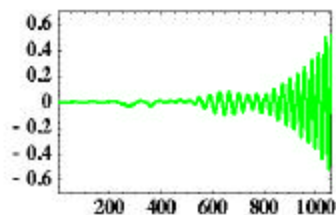
1MHz



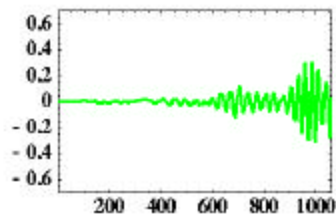
2MHz



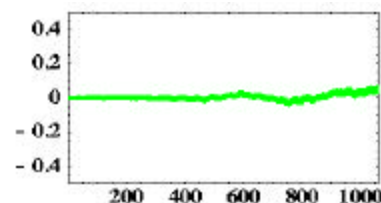
6MHz



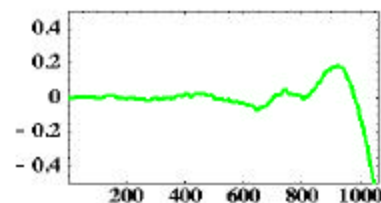
9MHz



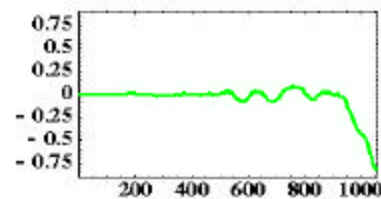
1MHz



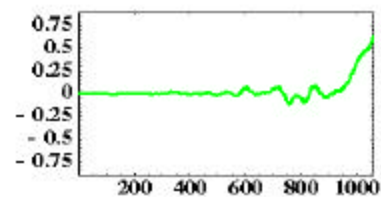
6MHz



9MHz



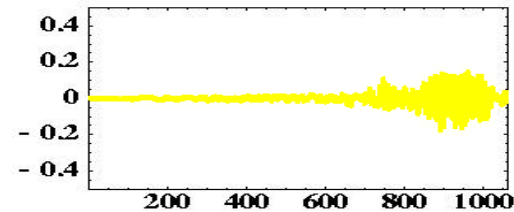
11MHz



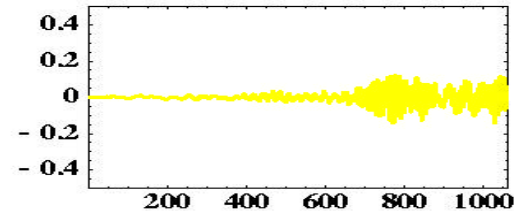
b=6cm (with beam radius “a” approaching 4cm by the end of accumulation)



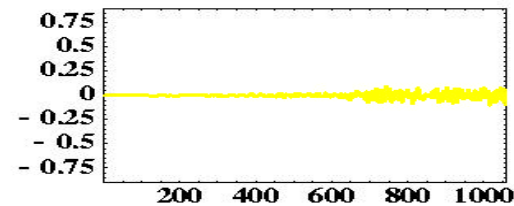
1MHz



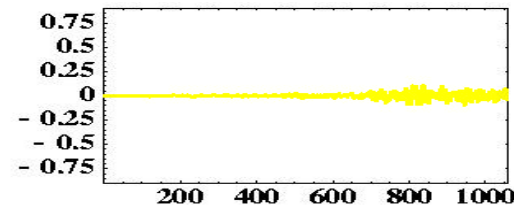
6MHz



9MHz



11MHz



Beam halo for different b/a ratio

